## Examining Tumor Phylogeny Inference in Noisy Sequencing Data

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Dec. 4, 2018

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#### Why is this important?

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Personalized medicine (Greaves 2015), (McGranahan and Swanton 2017)



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- Personalized medicine (Greaves 2015), (McGranahan and Swanton 2017)
- Improved understanding of cancer development

#### 1 Background

- Previous work
- Bulk sequencing data
- ISA
- AncesTree

#### 2 Methods

#### 3 Results



1

Single nucleotide variants (SNV) only:

- PhyloSub (Jiao et al. 2014)
- Rec-BTP (Hajirasouliha et al. 2014)
- AncesTree (El-Kebir et al. 2015)
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#### SNVs and CNAs/structural variants:

- SubcloneSeeker (Qiao et al. 2014)
- PhyloWGS (Deshwar et al. 2015)
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## Bulk sequencing data



### Bulk sequencing data



VAF matrix F (# variant reads / # total reads)



#### Infinite Sites Assumption (Kimura 1969)

No position in the genome mutates more than once.

## AncesTree (El-Kebir et al. 2015)



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#### Observation

Possible clonal trees  $\equiv$  AG spanning trees satisfying the *sum condition*:

$$F_{ij} \ge \sum_{k \text{ child of } j} F_{ik} \qquad \forall i \in \{1, \dots, s\}.$$

## AncesTree (El-Kebir et al. 2015)



#### Variant Allele Frequency Factorization Problem (VAFFP)

Given: VAF matrix F.

Find: Usage matrix U and clonal matrix B such that

$$F=rac{1}{2}UB.$$

#### Background

#### Methods

2

- Enumeration VAFFP
- Noise in sequencing data
- Handling noise
- Shrinking the search space





**E-VAFFP** 



#### **Enumeration VAFFP**

Given: VAF matrix F.

Find: The set  $\mathcal{T}(G_F)$  of *all* ancestry graph spanning trees that satisfy the sum condition.

How: Modified version of (Gabow and Myers 1978)

### E-VAFFP



#### Enumeration VAFFP (strict)

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How: Modified version of (Gabow and Myers 1978)



### Relaxed sum condition



### Relaxed sum condition



## Approximate ancestry graph



- Complete weighted digraph
- Posterior robability of ancestry: beta-binomial model (El-Kebir et al. 2015)
- Inumerate spanning trees in weight order (Camerini et al. 1980)



Goal: simplify ancestry graph



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#### *k*-PTR

Subgraph resulting from removing all  $\geq k$ -transitive edges.



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2 Methods

- 3 Results
  - Simulated data
  - Real data
  - Conclusions



#### Simulated data: solution existence







Defaults: 10 mutation clusters 5 samples  $60 \times$  coverage No overdispersion

Ancestor-descendant distance (Govek et al. 2018)

### Simulated data: approximate vs strict





### Simulated data: PTR





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#### Chronic lymphocytic leukemia (Schuh et al. 2012)

- 3 patients (CLL003, CLL006, CLL077)
- 5 samples each, spaced over time
- WGS (40× coverage) and deep sequencing (100000× coverage)

#### Clear cell renal carcinoma (Gerlinger et al. 2014)

- 8 patients (EV003, EV005, EV006, EV007, RK26, RMH002, RMH004, RMH008)
- 5-11 samples from different regions
- Amplicon sequencing (>  $400 \times$  coverage)

### Real data: strict solution rarity

Patient	Samples	$Mutations^1$	# Clusters	$ \mathcal{T}(G_F) $
CLL003 (deep)	5	15/20	4	0
CLL003 (WGS)	5	13/30	4	0
CLL006 (deep)	5	5/10	5	2
CLL006 (WGS)	5	6/16	5	0
CLL077 (deep)	5	12/16	4	1
CLL077 (WGS)	5	16/20	4	0
EV003	8	12/16	4, 5, 6	0
EV005	7	61/64	5,6	0
EV006	9	52/57	5	0
EV007	8	54/56	4, 5	0
RK26	11	62/62	4, 5, 6	0
RMH002	5	48/48	5,6	0
RMH004	6	126/126	5,6	0
RMH008	8	69/71	5,6	0

<sup>1</sup>After/before filtering out mutations with VAF above 0.5.

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Tumor Phylogeny Inference

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## CLL077

 $100000 \times \text{coverage}$  $40 \times \text{ coverage}$ 0.5 0.5 Variant Frequency 2.0 ... Variant Frequency 0.4 0.3 0.2 0.1 0.0 0.0 2 3 Δ 1 2 3 4 5 Sample Sample GPR158. OCA2. SLC12A1 SLC12A1 6.435 0.647 0.999 0.999 DAZAP1. EXOC6B. COL24A1, DDX1, COL24A1. HMCN1. DAZAP1, EXOC6B, GHDC, PLA2G16 GHDC. OCA2. KLHDC2, MAP2K1, HMCN1. KLHDC2. PLA2G16 NOD1 MAP2K1.NOD1. ZFHX4, ZNF566 0.9990.637 LRRC16A LRRC16A

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### Conclusions

- Overdispersion makes solutions rarer, but not worse
- Opproximate AG and relaxed sum condition increase robustness
- OPTR simplifies AG with minor quality impact (skews topology)
- Opproximate AG outperforms strict for few mutations and vice versa



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- Strict ISA-based trees are rare in simulated and real data
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- This project is supported by NSF CRII award IIS-1657380 and by Elledge, Eugster, and Class of '49 Fellowships from Carleton College (to LO).
- Thanks to Zach DiNardo, Thais Del Rosario Hernandez, and Rosa Zhou for helpful conversations.
- Special thanks to Layla Oesper for her mentorship, support, and feedback.